

Front

$$\textcircled{\#8} \quad \underline{24} \cdot \underline{23} \cdot \underline{22} = 12,144$$

$$\textcircled{\#9} \quad \underline{24} \cdot \underline{23} \cdot \underline{22} \cdot \underline{21} = 255,024$$

Back 7 5 6 A B C

(#6) 7 6 5 A B C

$$\frac{10 \cdot 10 \cdot 10 \cdot 26 \cdot 25 \cdot 24}{\# \# \# L L L} = 15,600,000$$

$$\frac{10 \cdot 9 \cdot 8 \cdot 26 \cdot 25 \cdot 24}{\# \# \# L L L} = 11,232,000$$

Difference
4,368,000

(#5) A, N, G, L, E

$$\frac{5 \cdot 4 \cdot 3}{\# \# \#} = (60)$$

(#4) G, A, R, D, E, N

$$\frac{6 \cdot 5 \cdot 4 \cdot 3}{\# \# \# \# \#} = (360)$$

When do you divide?

Answer: when order doesn't matter, when you don't want repeats



order doesn't
matter
divide



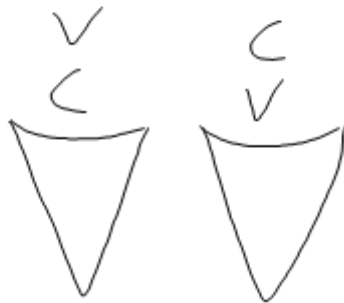
order matters
don't divide

Bowls - order doesn't matter

Cones - order does matter

#11

C, V



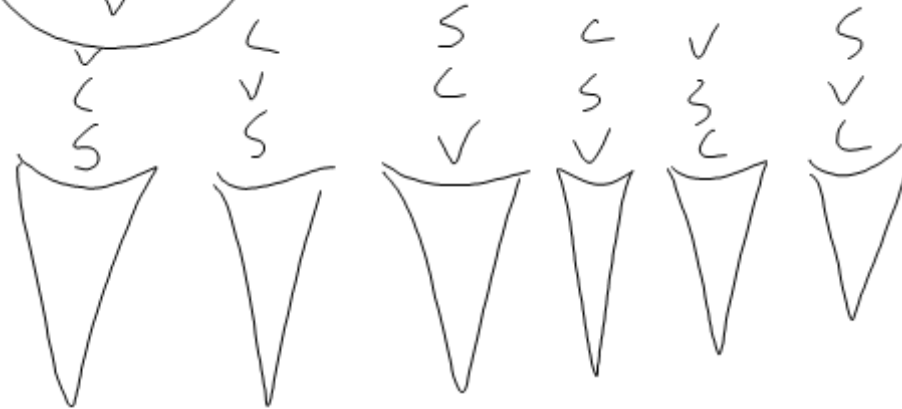
$$465 \cdot \underline{\underline{2}} = 930$$

2!

2 · 1

#12

S C
V



$$220 \cdot \underline{\underline{6}} = 1320$$

3!

3 · 2 · 1

(17)

Bowls \rightarrow Cones, multiply by factorial of # scoops
order doesn't matter order does matter

(18)

Cones \rightarrow Bowls, divide by factorial of scoops

Bowl - order does not matter \rightarrow Combination

$24^C_3 \rightarrow \frac{24!}{3! (24-3)!} = \frac{24 \cdot 23 \cdot 22 \cdot 21 \cdot 20 \cdot 19 \cdot 18 \dots}{3 \cdot 2 \cdot 1 \quad 21 \cdot 20 \cdot 19 \cdot 18 \dots}$

flavors \nearrow 24 \nwarrow scoops 3

$$n^C_r = \frac{n!}{r! (n-r)!}$$

Cone - order matters \rightarrow Permutation

$24^P_3 \rightarrow \frac{24!}{(24-3)!} = \frac{24 \cdot 23 \cdot 22 \cdot 21 \cdot 20 \cdot 19 \dots}{21 \cdot 20 \cdot 19 \dots}$

flavors \nearrow 24 \nwarrow scoops 3

$$n^P_r = \frac{n!}{(n-r)!}$$

$$\textcircled{\#1} \quad 9C_{\underline{2}} \rightarrow \frac{9!}{2!(9-2)!} = \frac{9!}{2!7!}$$

$$9C_{\underline{7}} \rightarrow \frac{9!}{7!(9-7)!} = \frac{9!}{7!2!}$$

$$9C_5 = 9C_4$$

$$7C_3 = 7C_4$$

Hw

Finish the yellow sheet